

Feature-based Parsing + Computational Semantics

LING 571 — Deep Processing for NLP

October 26, 2022

Shane Steinert-Threlkeld

Announcements

- Thanks for the mid-term feedback!
 - We appreciate the kind words, and
 - Will work on incorporating a few of the themes that came up a couple of times.
 - (Small note on Markdown / .md)
- Parent annotation and evaluation:
 - Splitting non-terminals = introducing new ones, may not be in gold/eval data
 - For this assignment, need to “de-parent” your parses at the end

Ambiguity of the Week



Adam Macqueen
@adam_macqueen



Personally feel not enough hospitals are named after sandwiches.



<https://www.theguardian.com/environment/video/2019/oct/18/extinction-rebellion-protester-dressed-as-boris-johnson-scales-big-ben-video>

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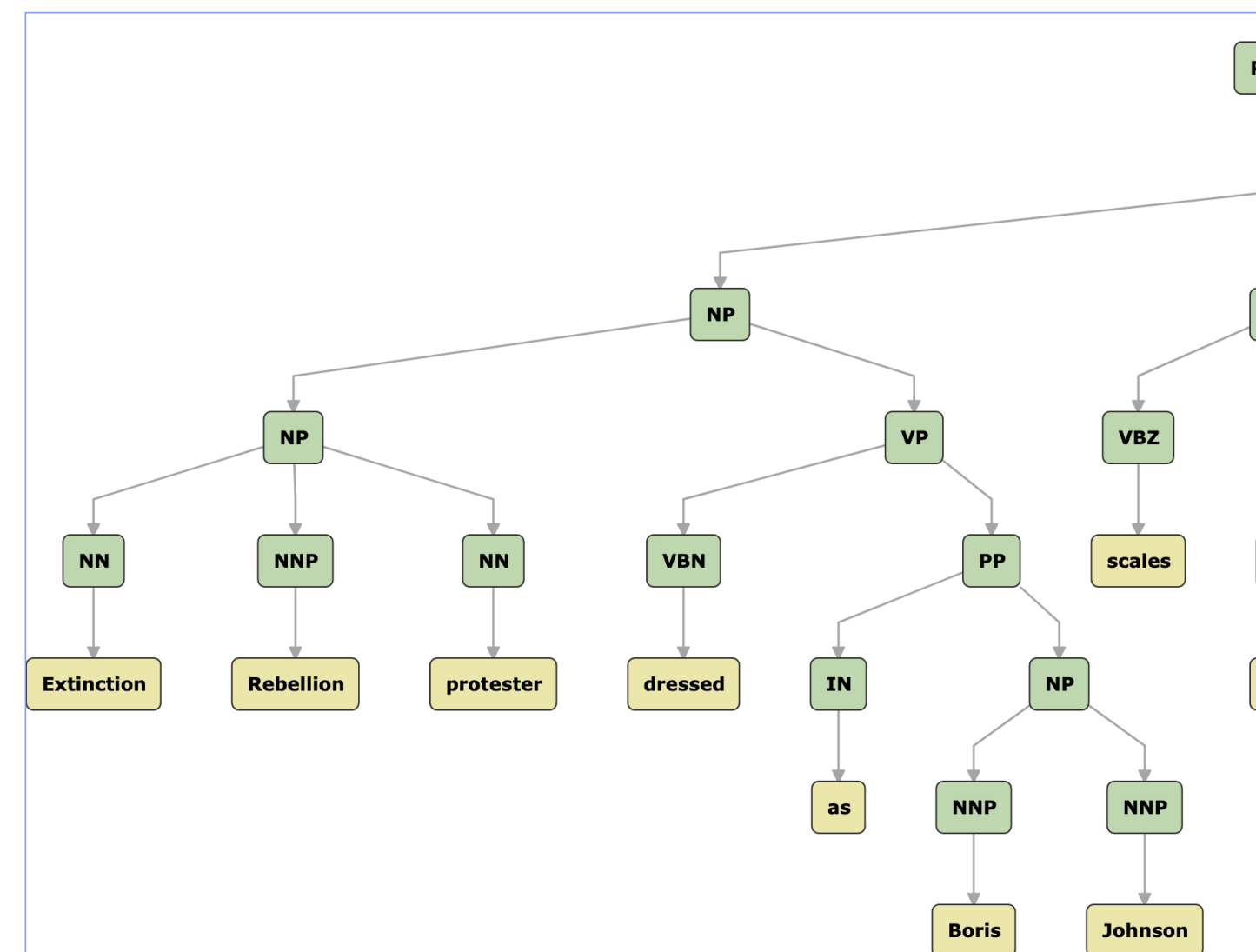


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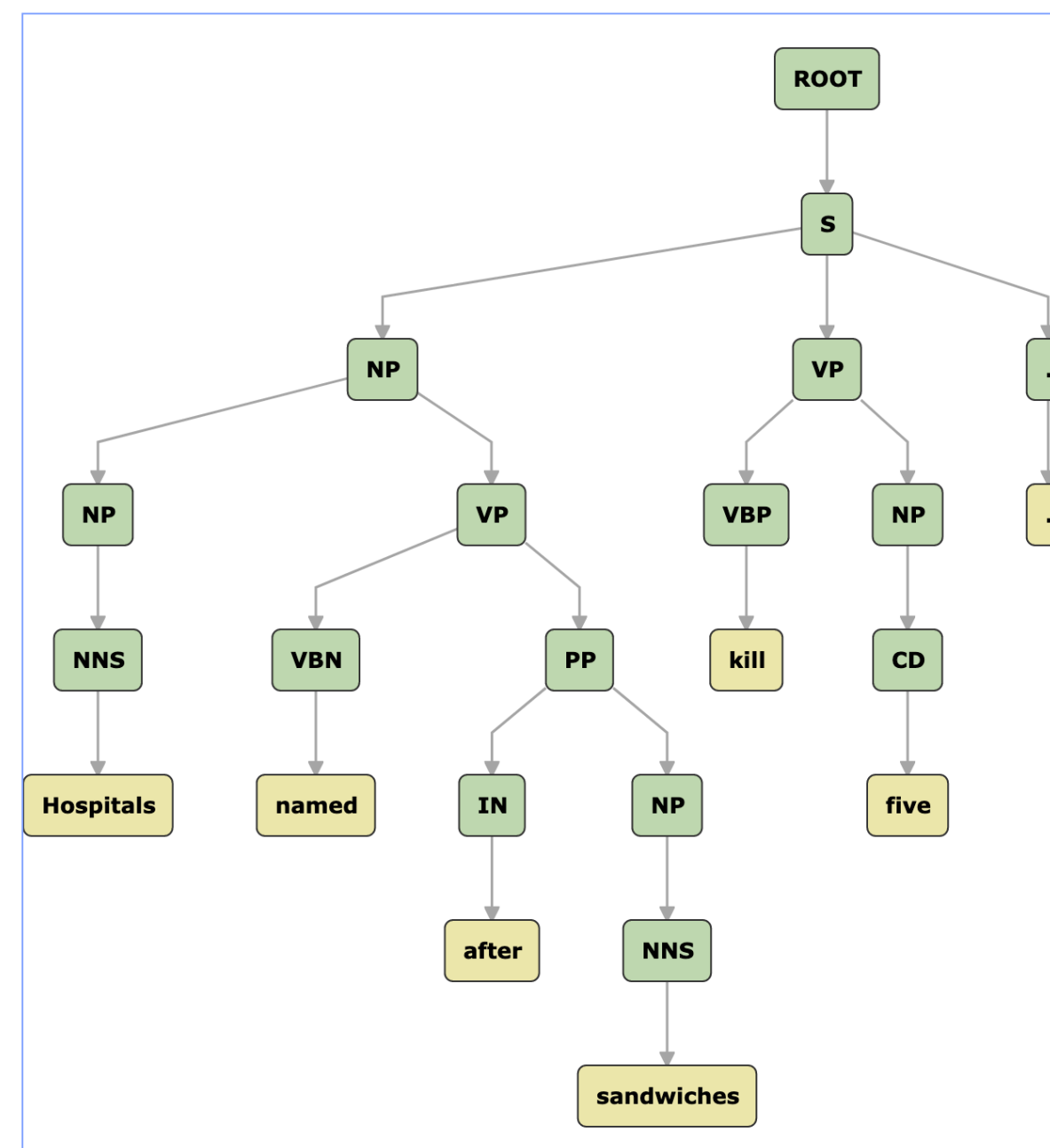


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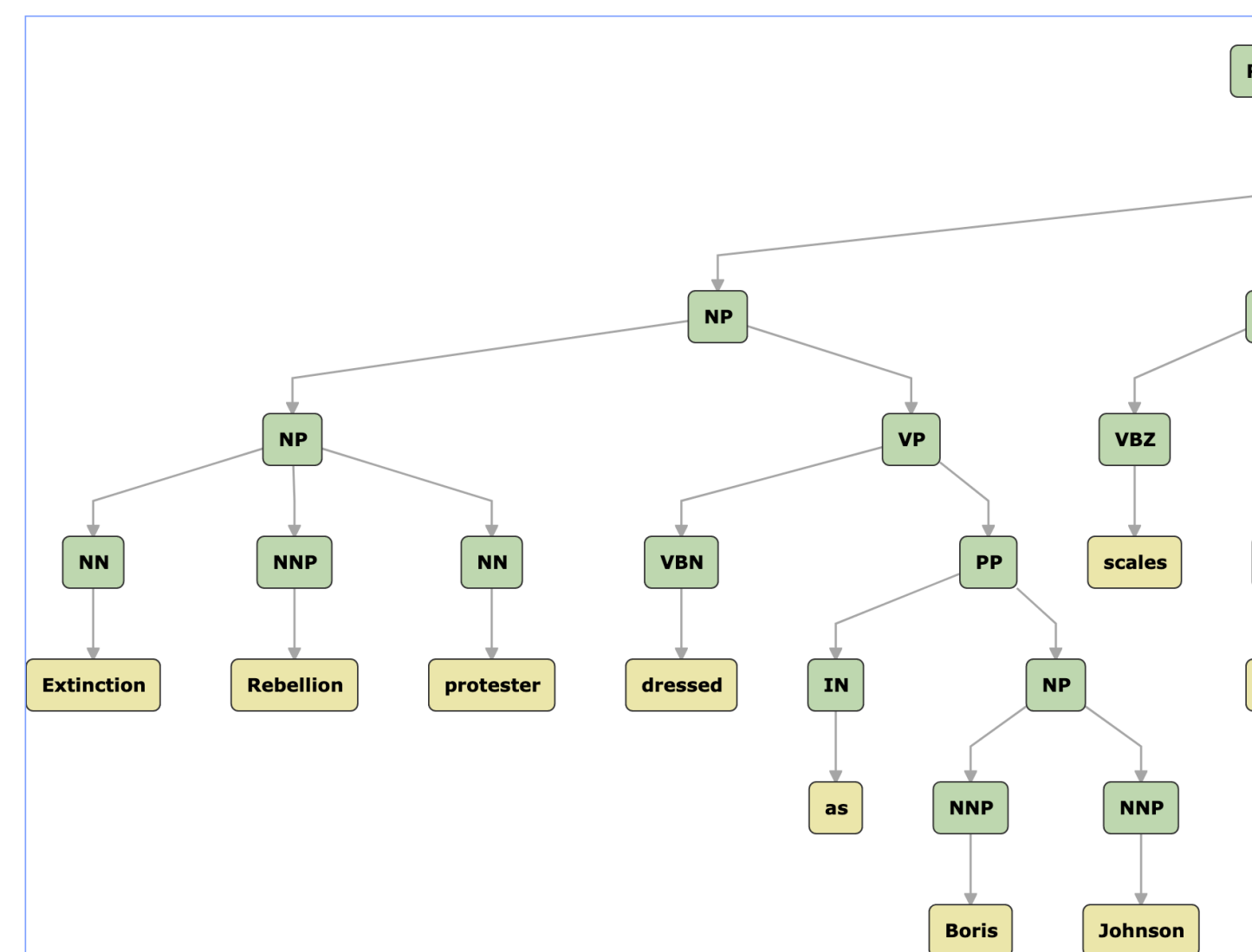
Constituency Parse:



<http://corenlp.run/>



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W

If you could replace the grating alarm bell in Thomson Hall with any other sound, what would it be?

Total Results: 0

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Roadmap

- Feature-based parsing
- Computational Semantics
 - Introduction
 - Semantics
 - Representing Meaning
 - First-Order Logic
 - Events
- HW#5
 - Feature grammars in NLTK
 - Practice with animacy

Computational Semantics

Dialogue System

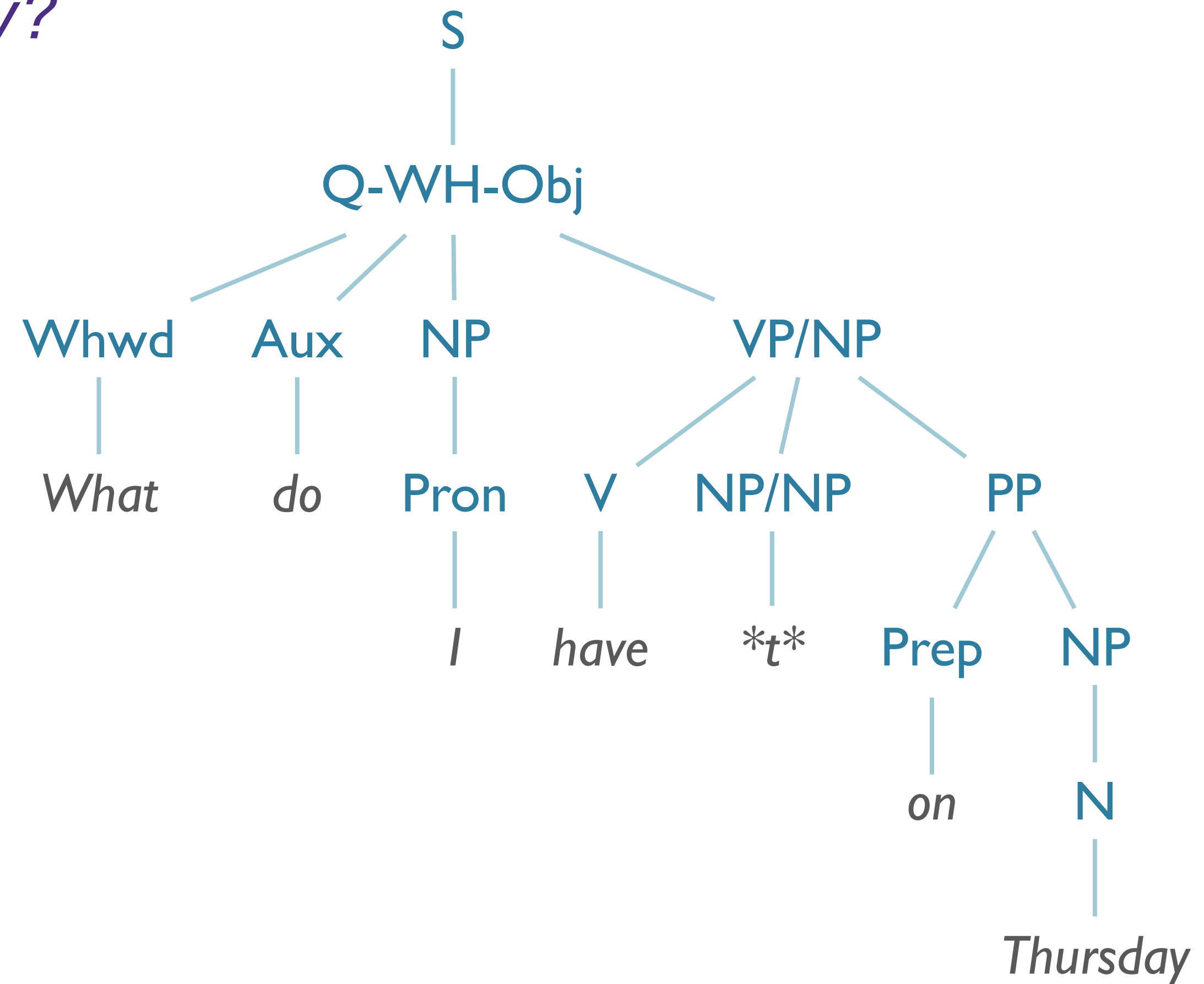
- User: *What do I have on Thursday?*

Dialogue System

- User: *What do I have on Thursday?*
- Parser:
 - Yes! It's grammatical!

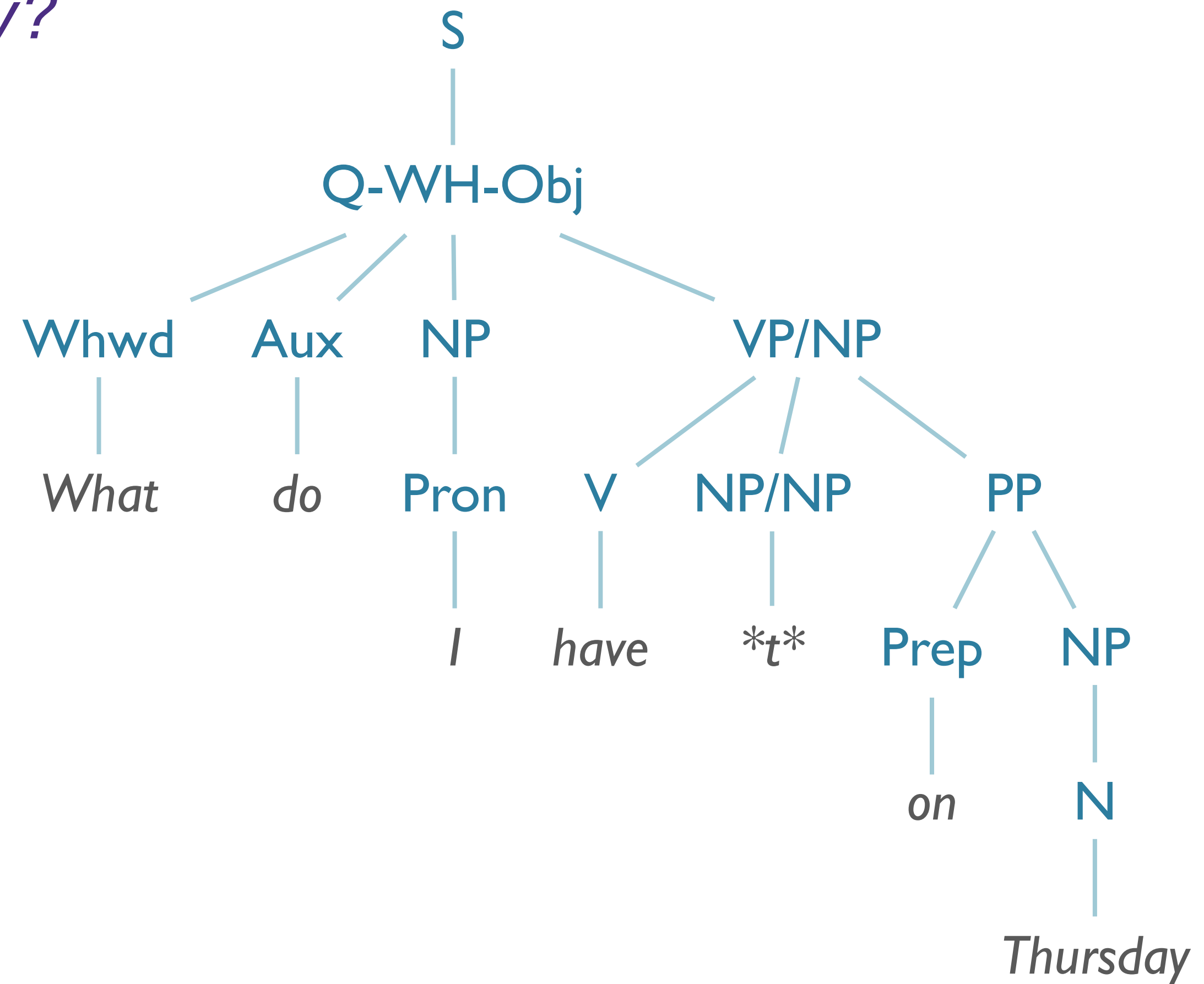
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 - Here's the structure!



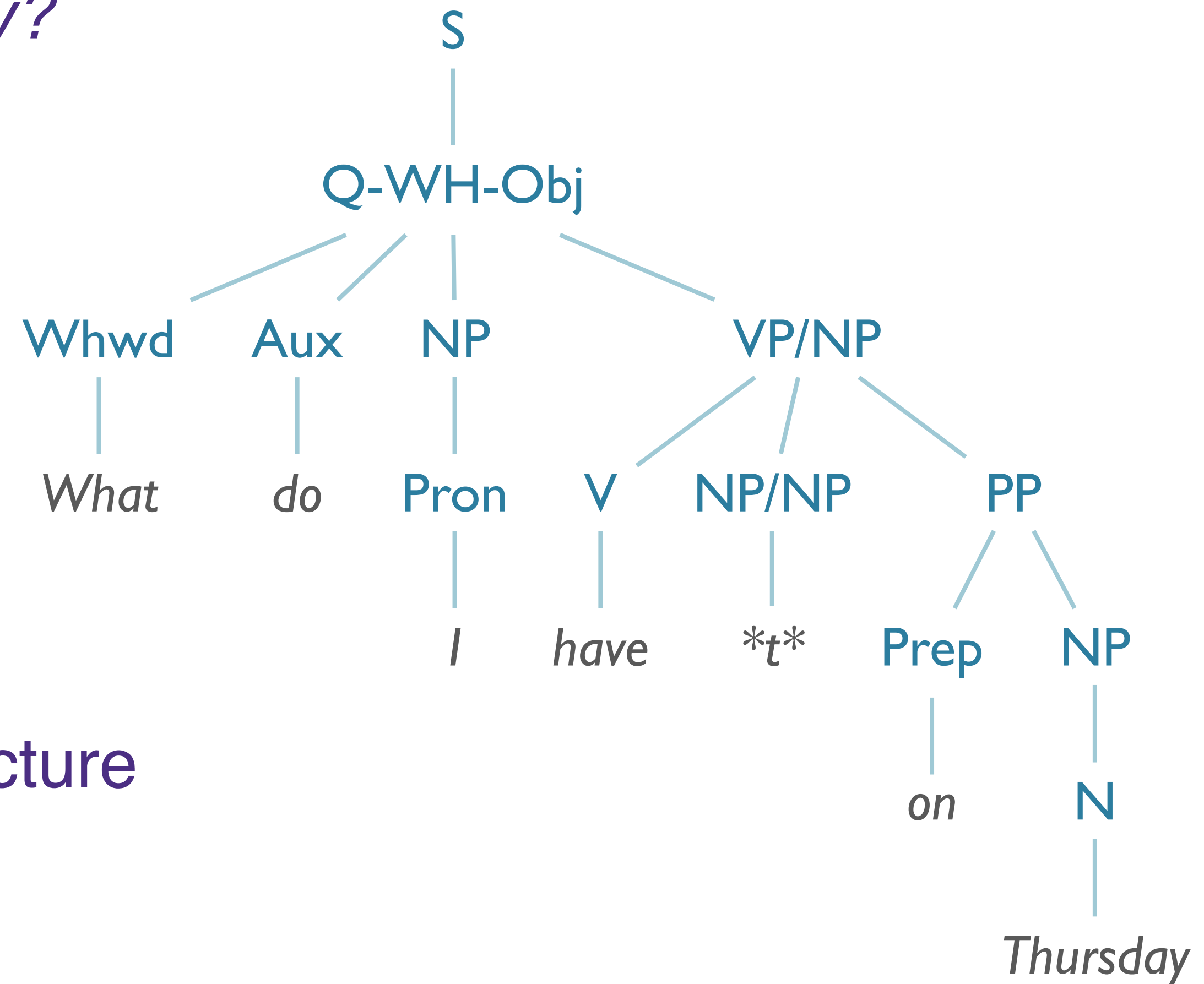
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- System:
 - Great, but what do I *DO* now?

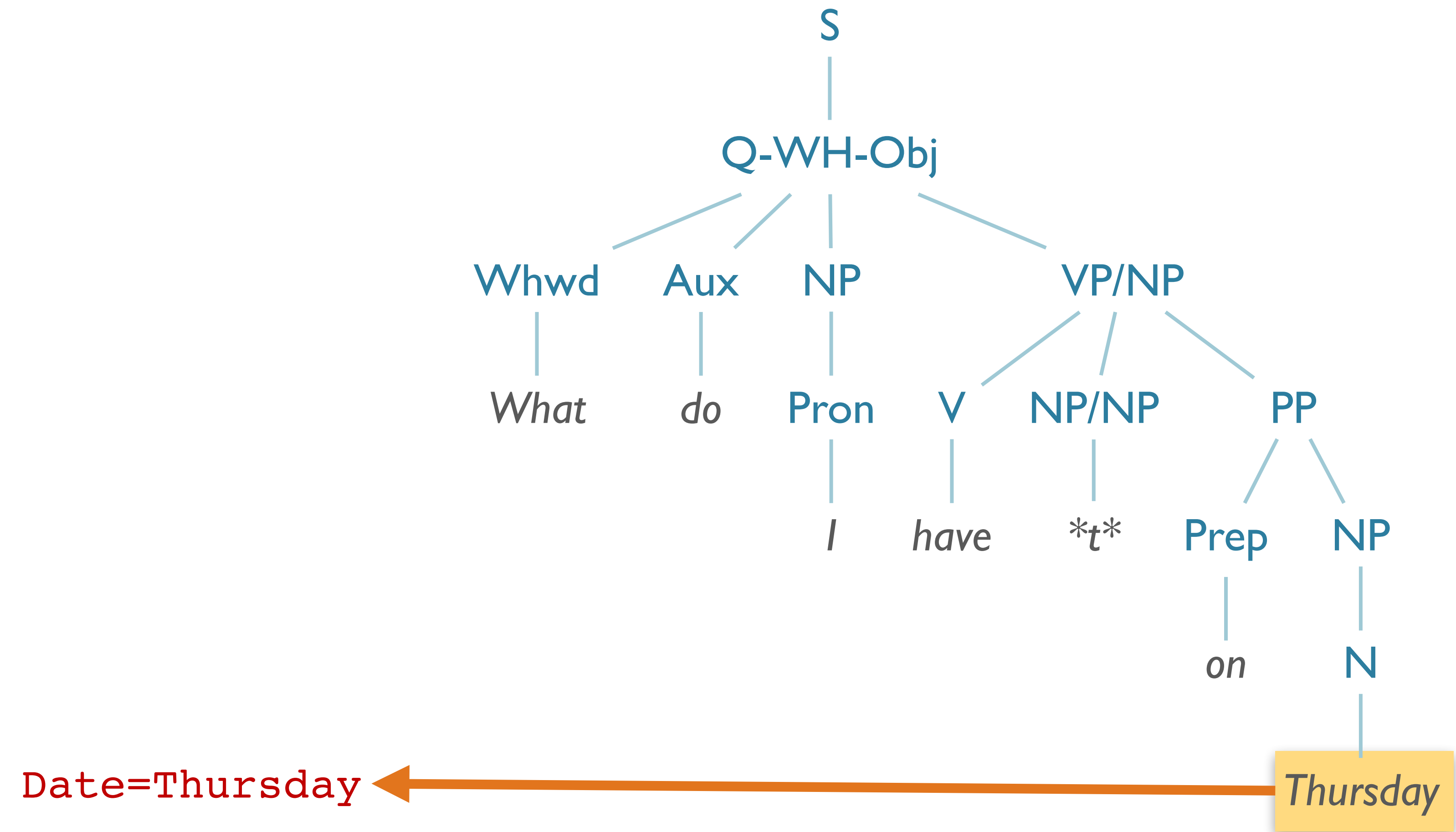


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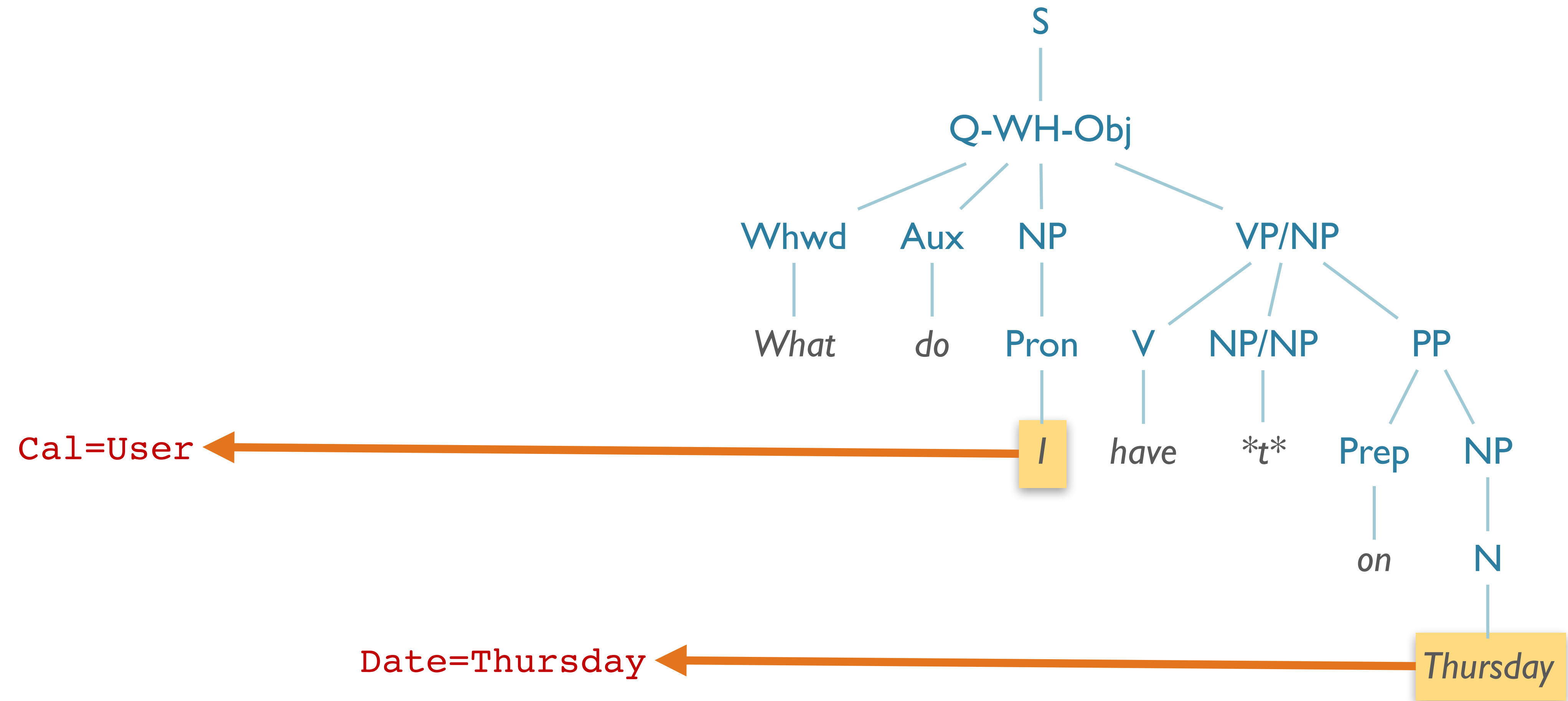
- User: *What do I have on Thursday?*
- Parser:
 - Yes! It's grammatical!
 - Here's the structure!
- System:
 - Great, but what do I *DO* now?
- Need to associate meaning w/structure



Dialogue System



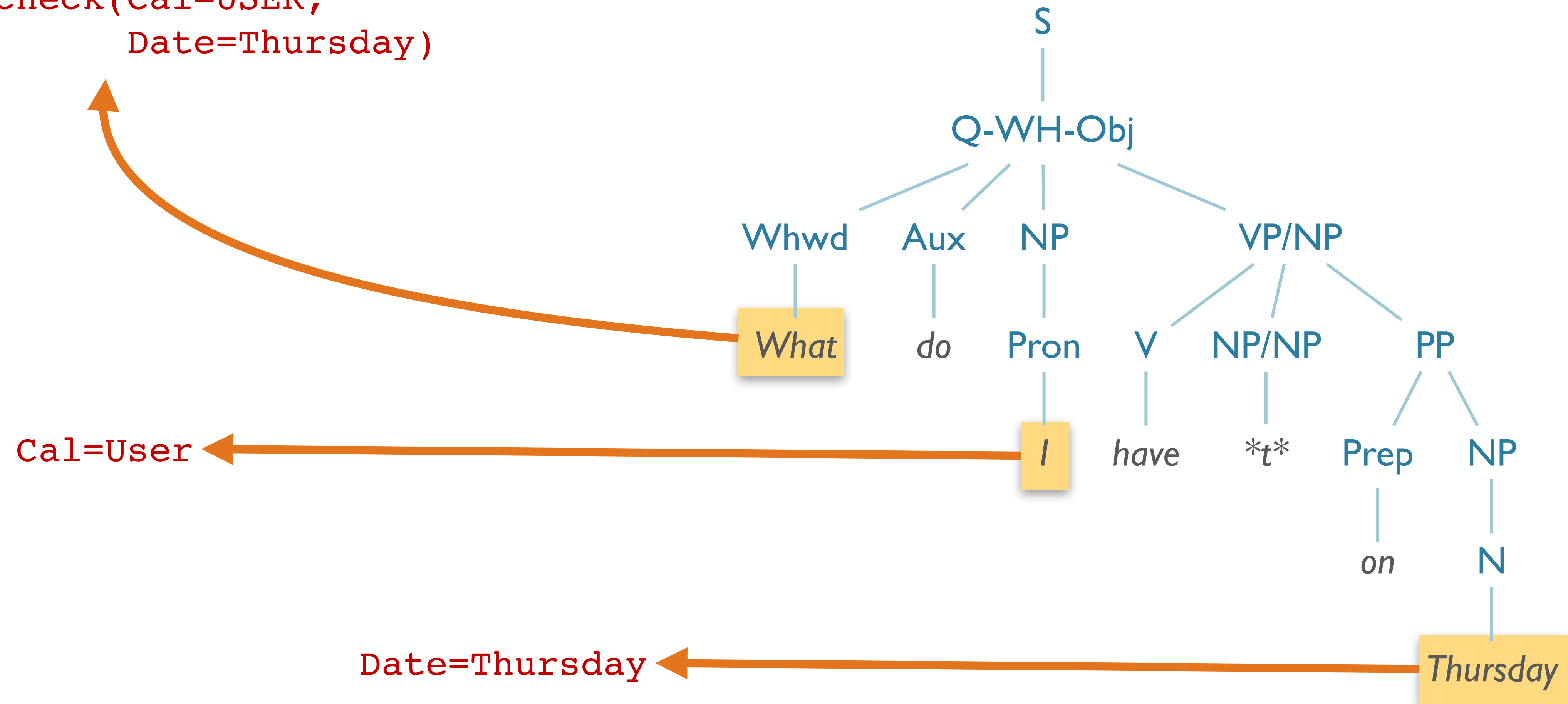
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Dialogue System

Action:

check(Cal=USER,
Date=Thursday)



Syntax vs. Semantics

- Syntax:
 - Determine the ***structure*** of natural language input

Syntax vs. Semantics

- Syntax:
 - Determine the ***structure*** of natural language input
- Semantics:
 - Determine the ***meaning*** of natural language input

High-Level Overview

- Semantics = meaning

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 - ...but what does “meaning” mean?

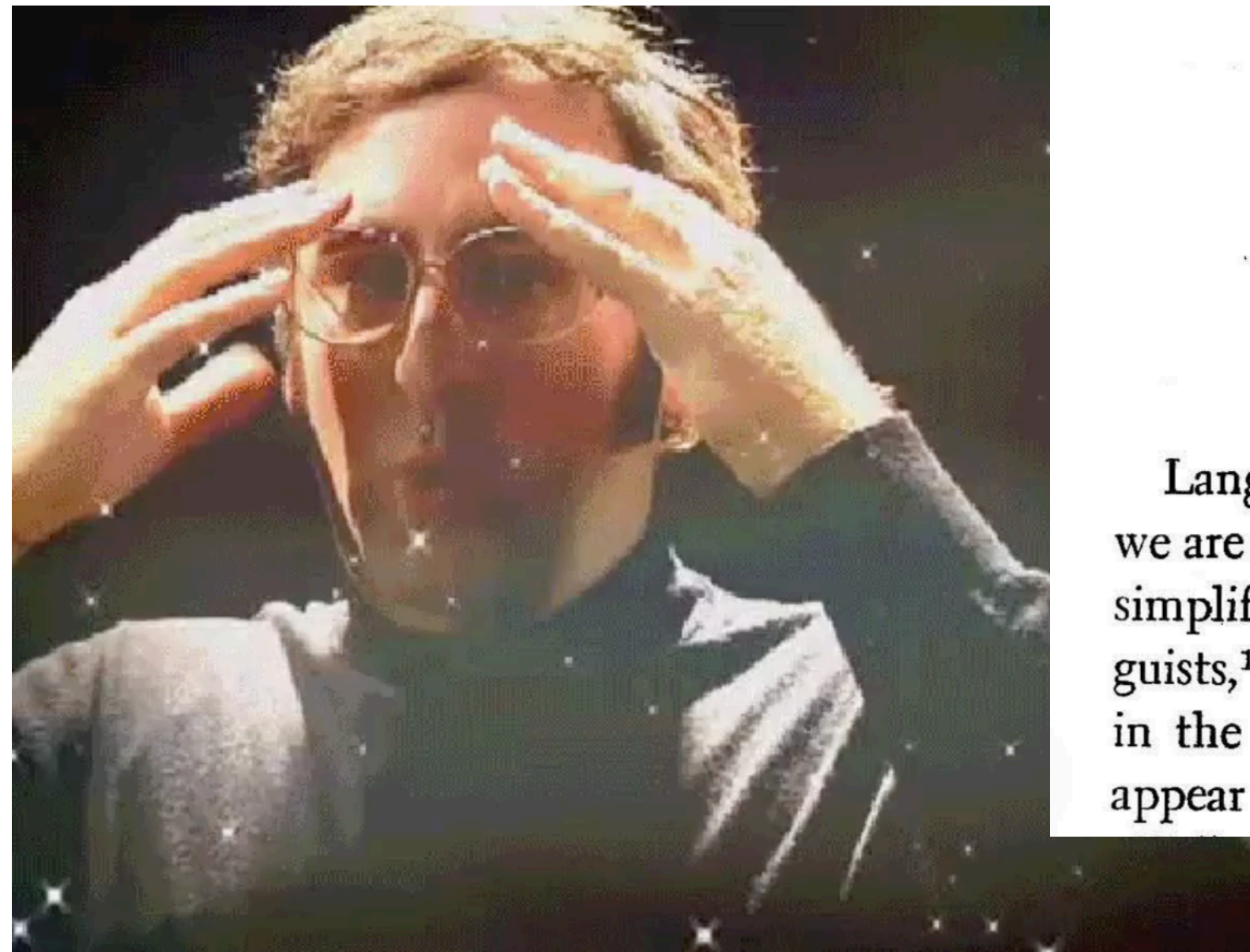
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HILARY PUTNAM

The Meaning of “Meaning”

Language is the first broad area of human cognitive capacity for which we are beginning to obtain a description which is not exaggeratedly oversimplified. Thanks to the work of contemporary transformational linguists,¹ a very subtle description of at least some human languages is in the process of being constructed. Some features of these languages appear to be *universal*. Where such features turn out to be “species-spe-

“The sky is blue.”

Speech & Text

“The sky is blue.”

Speech & Text

$\exists x \text{ Sky}(x) \wedge \text{Blue}(x)$

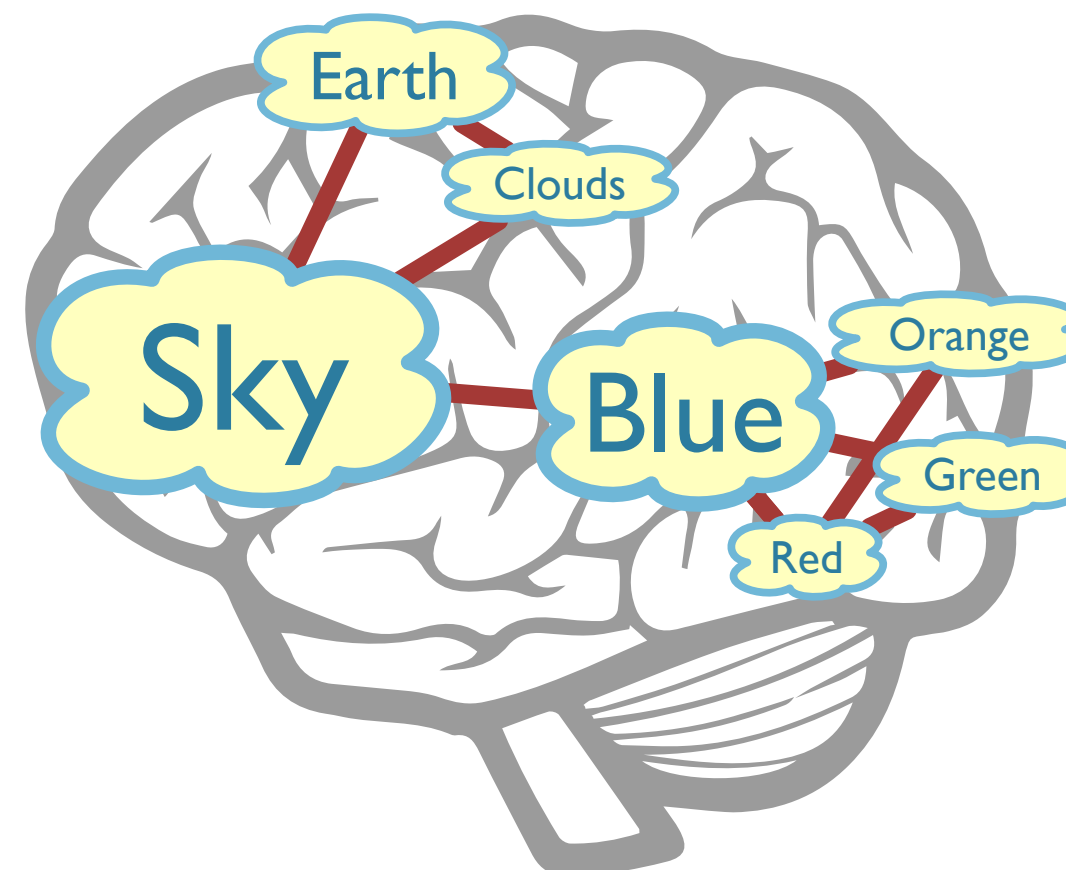
Logic

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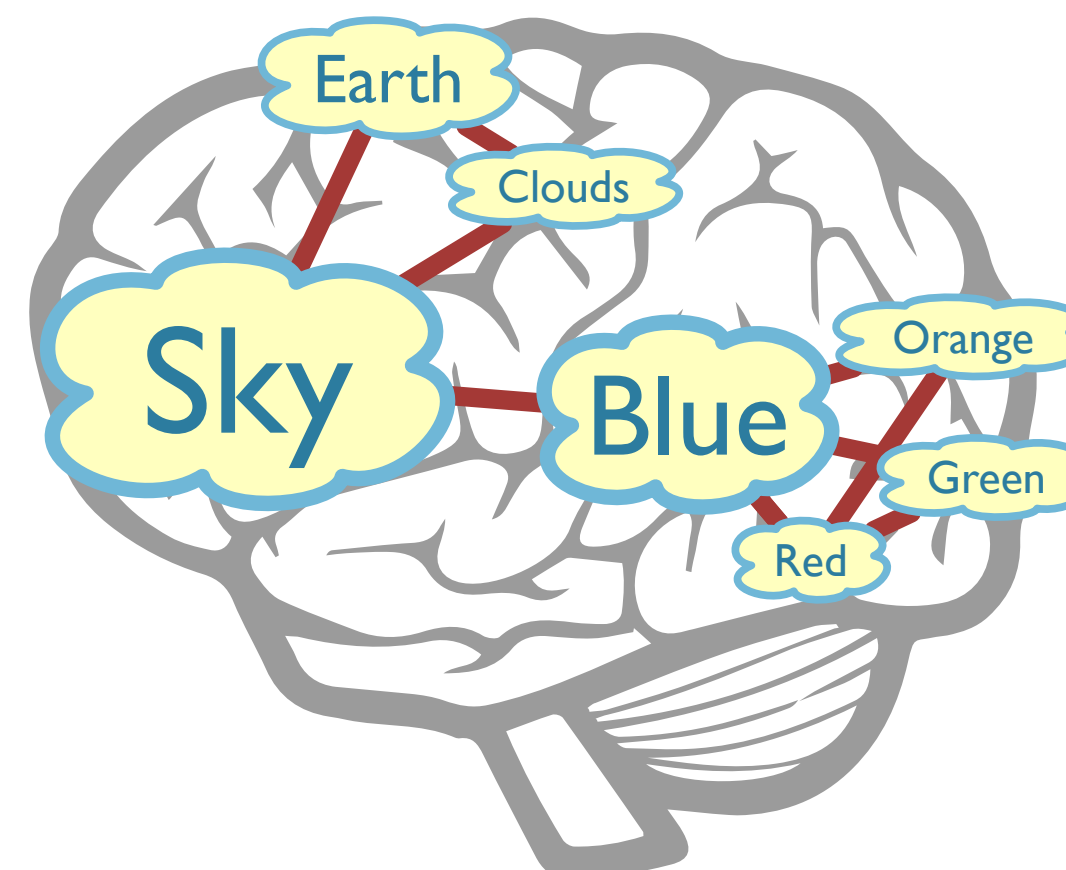
Psychology



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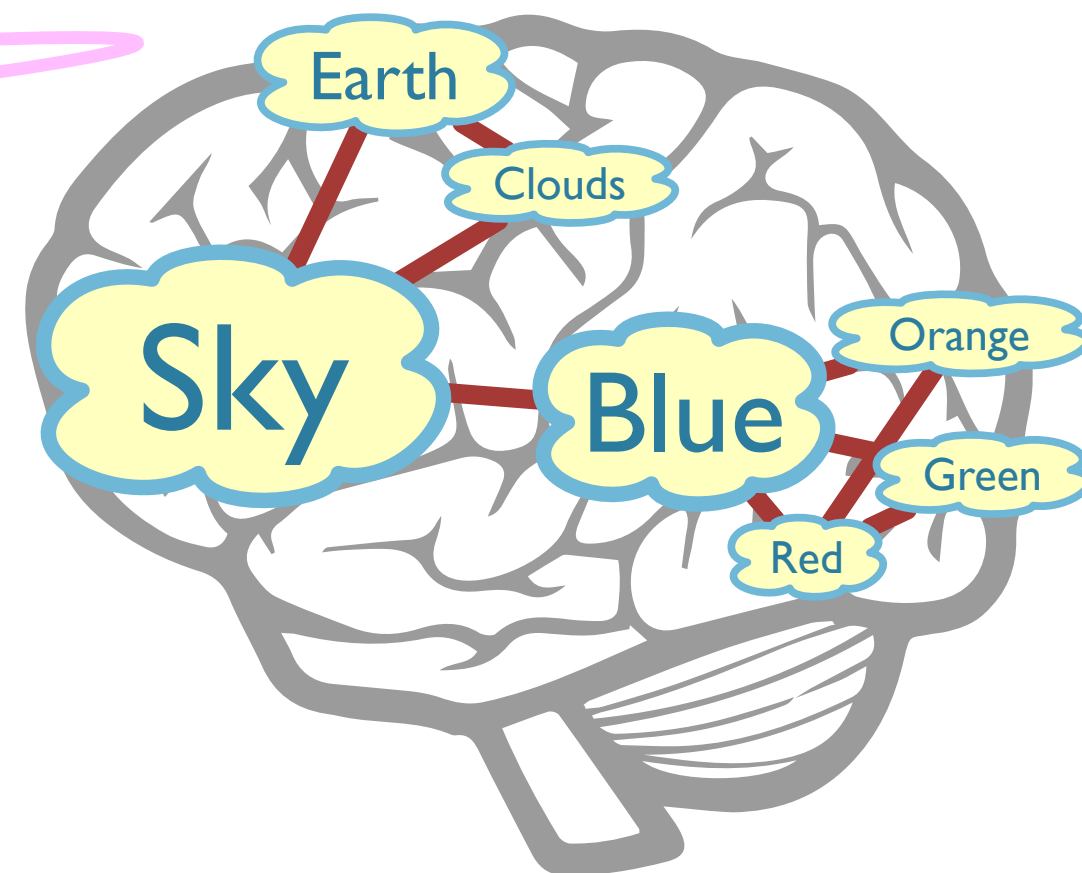
Epistemology

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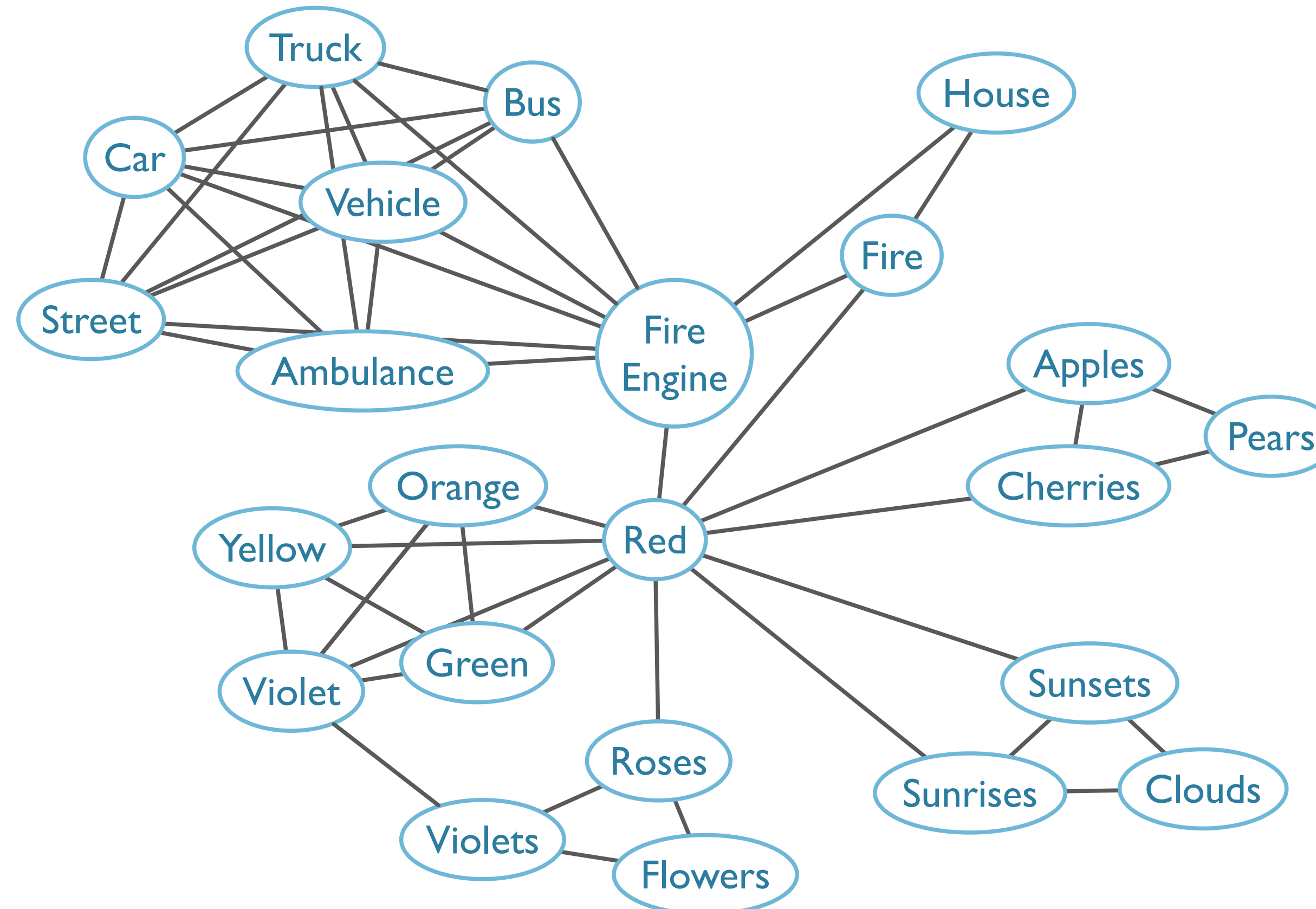
Epistemology

We Will Focus On:

- Concepts that we believe to be true about the world.
- How to connect strings and those concepts.

We *Won't* Focus On:

1. Building knowledge bases / semantic networks



Roadmap

- Computational Semantics
 - Overview
 - **Semantics**
 - Representing Meaning
 - First-Order Logic
 - Events
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Semantics: an Introduction

Uses for Semantics

- Semantic interpretation required for many tasks
 - Answering questions
 - Following instructions in a software manual
 - Following a recipe
- Requires more than phonology, morphology, syntax
- Must link linguistic elements to world knowledge

Semantics is Complex

- Sentences have many entailments, presuppositions, implicatures
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 - ...etc.

Challenges in Semantics

- **Semantic Representation:**
 - What is the appropriate formal language to express propositions in linguistic input?
 - e.g.: predicate calculus: $\exists x (dog(x) \wedge disappear(x))$

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- **Entailment:**

- What are all the conclusions that can be validly drawn from a sentence?
 - *Lincoln was assassinated* \models *Lincoln is dead*
 - \models “semantically entails”: if former is true, the latter must be too

Challenges in Semantics

- **Reference**
 - How do linguistic expressions link to objects/concepts in the real world?
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- **Compositionality**

- How can we derive the meaning of a unit from its parts?
- How do syntactic structure and semantic composition relate?
- ‘rubber duck’ vs. ‘rubber chicken’ vs. ‘rubber-neck’
- *kick the bucket*

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- Define a **meaning representation**
- Develop techniques for **semantic analysis**
 - ...convert strings from natural language to meaning representations
- Develop methods for **reasoning** about these representations
 - ...and performing inference

Tasks in Computational Semantics

- Semantic similarity (words, texts)
- Semantic role labeling
- Semantic analysis / semantic “parsing”
- Recognizing textual entailment (RTE) / natural language inference (NLI)
- Sentiment analysis

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- **Reasoning**
 - Given a representation and world, what new conclusions (bits of meaning) can we infer?

Complexity of Computational Semantics

- Effectively AI-complete
 - Needs representation, reasoning, world model, etc.

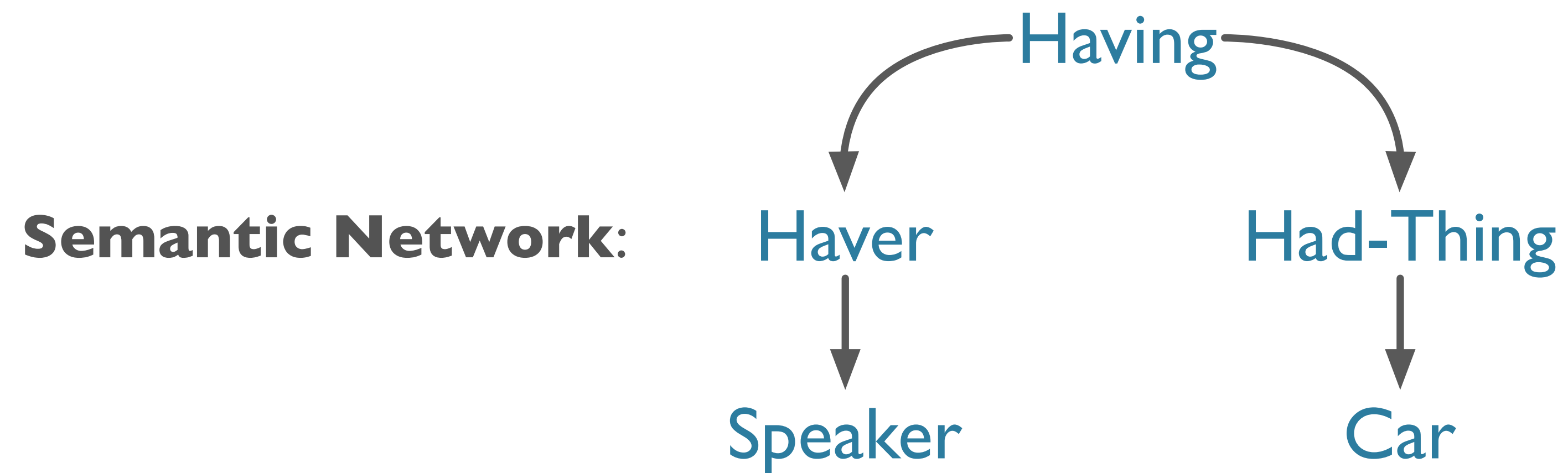
Representing Meaning

“I have a car”

First-Order Logic: $\exists e, y \left(\textit{Having}(e) \wedge \textit{Haver}(e, \textit{Speaker}) \wedge \textit{HadThing}(e, y) \wedge \textit{Car}(y) \right)$

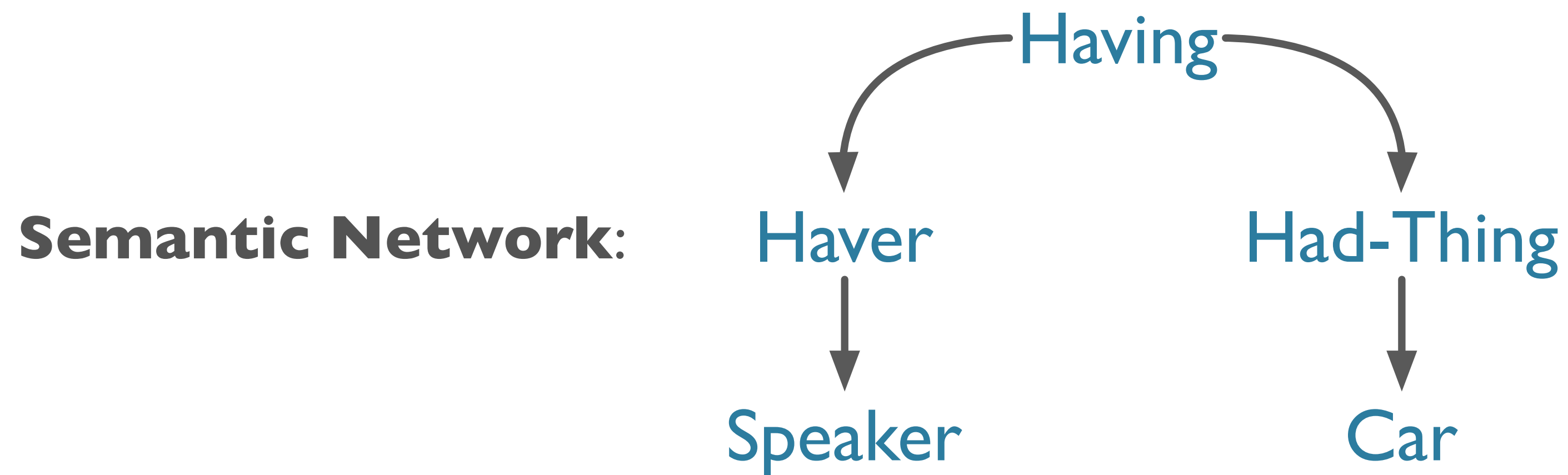
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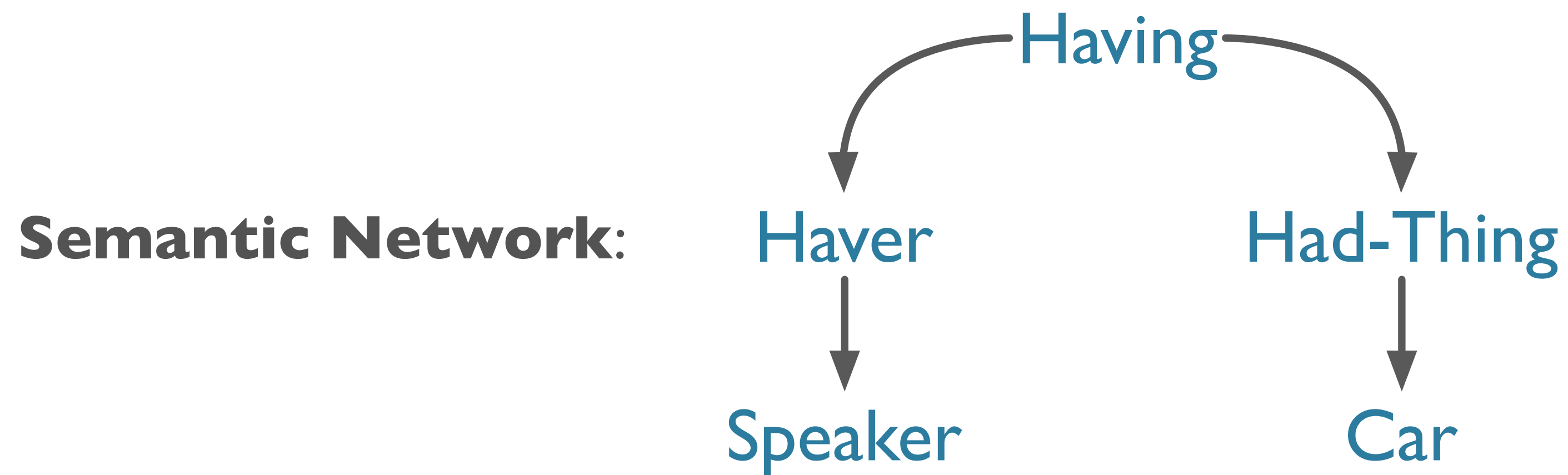


Conceptual Dependency:

```
graph BT; Speaker -- POSS-BY --> Car;
```

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Conceptual Dependency:

Car
↑↑ POSS-BY
Speaker

Frame-Based:

<i>Having</i>
Haver: Speaker
HadThing: Car

Meaning Representations

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- Here we focus on **literal** meaning (“what is said”)

Representational Requirements

- Verifiability
- Unambiguous representations
- Canonical Form
- Inference and Variables
- Expressiveness

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 - Way to draw valid conclusions from semantics and KB
- Expressiveness
 - Represent any natural language utterance

Meaning Structure of Language

- Human Languages:
 - Display basic predicate-argument structure
 - Employ variables
 - Employ quantifiers
 - Exhibit a (partially) compositional semantics

Predicate-Argument Structure

- Represent concepts and relationships

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 - *Book*(*John*, *United*); *Non-stop*(*Flight*)

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Predicate-Argument Structure

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- Some words behave like predicates
 - ***Book***(*John*, *United*); ***Non-stop***(*Flight*)
- Some words behave like arguments
 - *Book*(***John***, ***United***); *Non-stop*(***Flight***)
- Subcategorization frames indicate:
 - Number, Syntactic category, order of args, possibly other features of args

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- Supports inference
- Supports generalization through variables

First-Order Logic Terms

- **Constants:** specific objects in world;
 - *A, B, John*
 - Refer to exactly one object
 - Each object can have multiple constants refer to it
 - *WASateGovernor* and *JayInslee*

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- **Functions**: concepts relating *objects* → *objects*
 - *GovernorOf(WA)*
 - Refer to objects, avoid using constants

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 - $WASateGovernor$ and $JayInslee$
- **Functions:** concepts relating *objects* \rightarrow *objects*
 - $GovernorOf(WA)$
 - Refer to objects, avoid using constants
- **Variables:**
 - x, e
 - Refer to any potential object in the world

First-Order Logic Language

- **Predicates**
 - Relate *objects* to other *objects*
 - ‘*United serves Chicago*’
 - *Serves(United, Chicago)*

First-Order Logic Language

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- **Logical Connectives**

- $\{\wedge, \vee, \Rightarrow\} = \{\text{and, or, implies}\}$
- Allow for compositionality of meaning* [* many subtleties]
- ‘*Frontier serves Seattle and is cheap.*’
 - $Serves(Frontier, Seattle) \wedge Cheap(Frontier)$

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- **A non-stop flight** that **serves Pittsburgh**:
 $\exists x \textit{Flight}(x) \wedge \textit{Serves}(x, \textit{Pittsburgh}) \wedge \textit{Non-stop}(x)$

Quantifiers

- \forall : universal quantifier: “for all”
- **All** flights include beverages.

Quantifiers

- \forall : universal quantifier: “for all”

- **All flights include** beverages.

$$\forall x \text{ Flight}(x) \Rightarrow \text{Includes}(x, \text{beverages})$$

FOL Syntax Summary

<i>Formula</i>	→	<i>AtomicFormula</i>	<i>Connective</i>	→	$\wedge \mid \vee \mid \Rightarrow$
		<i>Formula Connective Formula</i>	<i>Quantifier</i>	→	$\forall \mid \exists$
		<i>Quantifier Variable, ... Formula</i>	<i>Constant</i>	→	<i>VegetarianFood</i> <i>Maharani</i> ...
		\neg <i>Formula</i>	<i>Variable</i>	→	$x \mid y \mid \dots$
		<i>(Formula)</i>	<i>Predicate</i>	→	<i>Serves</i> <i>Near</i> ...
<i>AtomicFormula</i>	→	<i>Predicate(Term,...)</i>	<i>Function</i>	→	<i>LocationOf</i> <i>CuisineOf</i> ...
<i>Term</i>	→	<i>Function(Term,...)</i>			
		<i>Constant</i>			
		<i>Variable</i>			

J&M p. 556 ([3rd ed. 16.3](#))

Compositionality

- The meaning of a complex expression is a function of the meaning of its parts, and the rules for their combination.

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- Formal languages **are** compositional.
- Natural language meaning is *largely compositional*, though arguably not fully.*

Compositionality

- ...how can we derive:
 - *loves(John, Mary)*

Compositionality

- ...how can we derive:
 - *loves(John, Mary)*
- from:
 - *John*
 - *loves(x, y)*
 - *Mary*

Compositionality

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- from:
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 - *Mary*
- Lambda expressions!

Lambda Expressions

- Lambda (λ) notation ([Church, 1940](#))
 - Just like lambda in Python, Scheme, etc
 - Allows abstraction over FOL formulae
 - Supports compositionality
- Form: (λ) + variable + FOL expression
 - $\lambda x.P(x)$ “Function taking x to $P(x)$ ”
 - $\lambda x.P(x)(A) = P(A)$ [called beta-reduction]

λ -Reduction

- λ -reduction: Apply λ -expression to logical term
- Binds formal parameter to term

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$$\lambda x.P(x)(A)$$

$$P(A)$$

- Equivalent to function application

Nested λ -Reduction

- Lambda expression as body of another

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Nested λ -Reduction

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$\lambda y. \text{Near}(\text{Midway}, y)$

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$\lambda x. \lambda y. \text{Near}(x, y)(\text{Midway})$

$\lambda y. \text{Near}(\text{Midway}, y)$

$\lambda y. \text{Near}(\text{Midway}, y)(\text{Chicago})$

Nested λ -Reduction

- Lambda expression as body of another

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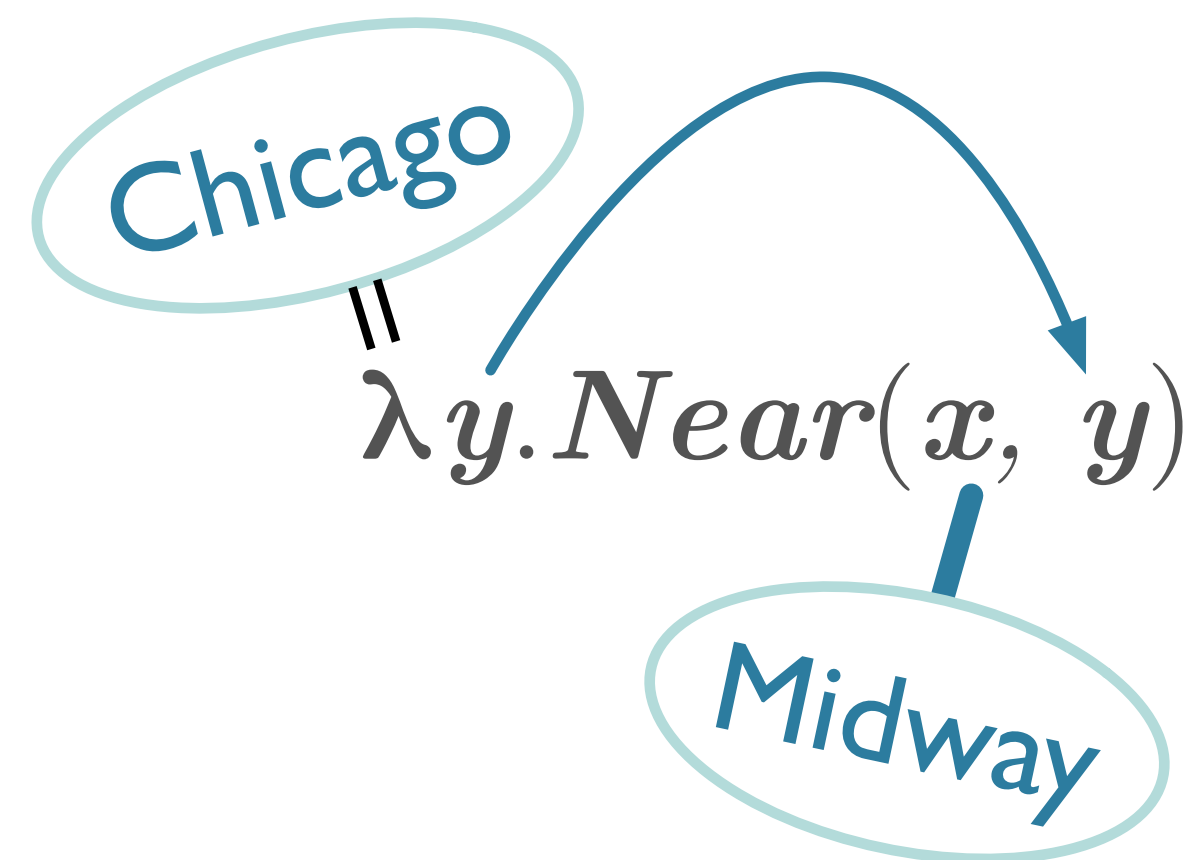
Nested λ -Reduction

- If it helps, think of λ s as binding sites:



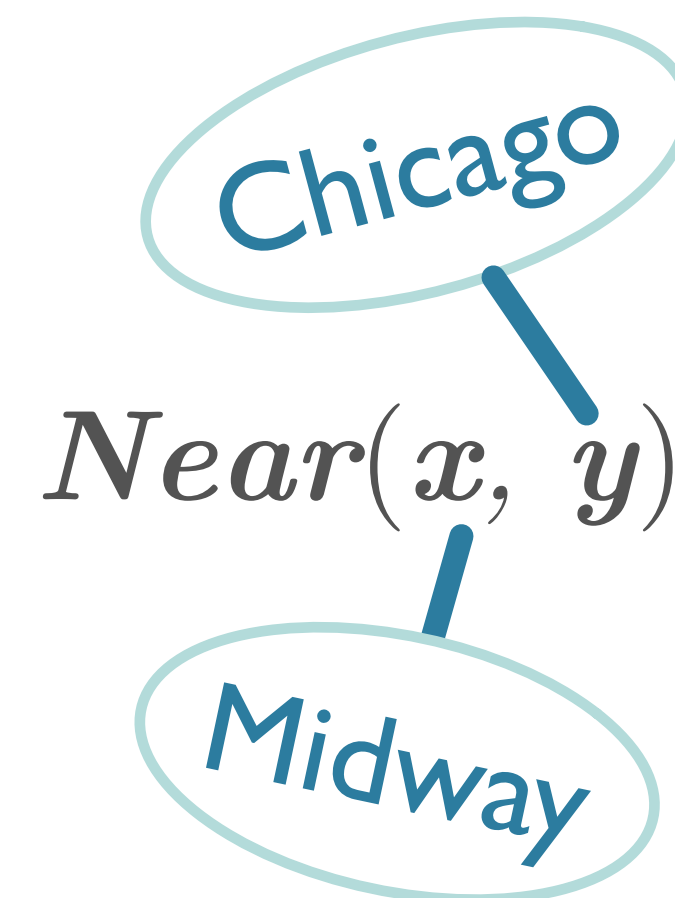
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Nested λ -Reduction

- If it helps, think of λ s as binding sites:



Lambda Expressions

- *Currying*
 - Converting multi-argument predicates to sequence of single argument predicates
 - Why?
 - Incrementally accumulates multiple arguments spread over different parts of parse tree

Lambda Expressions

- *Currying*
 - Converting multi-argument predicates to sequence of single argument predicates
 - Why?
 - Incrementally accumulates multiple arguments spread over different parts of parse tree
- ...or Schönkinkelization

Logical Formulae

- FOL terms (objects): denote elements in a domain
 - Properties: sets of domain elements
 - Relations: sets of tuples of domain elements

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- FOL terms (objects): denote elements in a domain
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- Atomic formulae: $P(x)$, $R(x,y)$, etc
- Formulae based on logical operators:

P	Q	$\neg P$	$P \wedge Q$	$P \vee Q$	$P \Rightarrow Q$
F	F	T	F	F	T
F	T	T	F	T	T
T	F	F	F	T	F
T	T	F	T	T	T

Logical Formulae: Finer Points

- \vee is not exclusive:
 - *Your choice is pepperoni or sausage*
 - ...use $\underline{\vee}$ or \oplus

Logical Formulae: Finer Points

- \vee is not exclusive:
 - *Your choice is pepperoni or sausage*
 - ...use $\underline{\vee}$ or \oplus
- \Rightarrow is the logical form
 - Does not mean the same as natural language “if”, just that if LHS=T, then RHS=T

Inference

$$1. \alpha$$

$$1. \forall x \alpha(x)$$

Inference

$$1. \alpha$$

$$2. \alpha \Rightarrow \beta$$

$$1. \forall x \alpha(x)$$

Inference

$$1. \alpha$$

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Inference

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$$1. \forall x \alpha(x)$$

$$2. \therefore \alpha(t)$$

Inference

1. *VegetarianRestaurant(Leaf)*

Inference

1. $\text{VegetarianRestaurant}(\text{Leaf})$
2. $\forall x \text{ VegetarianRestaurant}(x) \Rightarrow \text{Serves}(x, \text{VegetarianFood})$

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Inference

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3. $\text{VegetarianRestaurant}(\text{Leaf}) \Rightarrow \text{Serves}(\text{Leaf}, \text{VegFood})$
4. $\therefore \text{Serves}(\text{Leaf}, \text{VegetarianFood})$

Inference

- Standard AI-type logical inference procedures
 - Modus Ponens
 - Forward-chaining, Backward Chaining
 - Abduction
 - Resolution
 - Etc...

Inference

- Standard AI-type logical inference procedures
 - Modus Ponens
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 - Etc...
- We'll assume we have a theorem prover.

Roadmap

- Computational Semantics
 - Introduction
 - Semantics
 - Representing Meaning
 - First-Order Logic
 - **Events**
- HW#5
 - Feature grammars in NLTK
 - Practice with animacy

Events

Representing Events

- Initially, single predicate with some arguments
 - *Serves(United, Houston)*
 - Assume # of args = # of elements in subcategorization frame

Representing Events

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- Example:
 - *The flight arrived*
 - *The flight arrived in Seattle*
 - *The flight arrived in Seattle on Saturday.*
 - *The flight arrived on Saturday.*
 - *The flight arrived in Seattle from SFO.*
 - *The flight arrived in Seattle from SFO on Saturday.*

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- Variable number of arguments; many entailment relations here.

Representing Events

- *Arity*:
 - How do we deal with different numbers of arguments?

Representing Events

- ***Ariety:***
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Representing Events

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 - Davidsonian (Davidson 1967):
 - $\exists e \text{ Arrival}(e, \text{Flight}, \text{Seattle}, \text{SFO}) \wedge \text{Time}(e, \text{Saturday})$

Representing Events

- **Arity:**
 - How do we deal with different numbers of arguments?
- *The flight arrived in Seattle from SFO on Saturday.*
 - Davidsonian (Davidson 1967):
 - $\exists e \text{ Arrival}(e, \text{Flight}, \text{Seattle}, \text{SFO}) \wedge \text{Time}(e, \text{Saturday})$
 - Neo-Davidsonian (Parsons 1990):
 - $\exists e \text{ Arrival}(e) \wedge \text{Arrived}(e, \text{Flight}) \wedge \text{Destination}(e, \text{Seattle}) \wedge \text{Origin}(e, \text{SFO}) \wedge \text{Time}(e, \text{Saturday})$

Why events?

- “Adverbial modification is thus seen to be logically on a par with adjectival modification: what adverbial clauses modify is not verbs but the events that certain verbs introduce.” —Davidson

Neo-Davidsonian Events

- Neo-Davidsonian representation:
 - Distill event to single argument for main predicate
 - Everything else is additional predication

Neo-Davidsonian Events

- Neo-Davidsonian representation:
 - Distill event to single argument for main predicate
 - Everything else is additional predication
- Pros
 - No fixed argument structure
 - Dynamically add predicates as necessary
 - No unused roles
 - Logical connections can be derived

Meaning Representation for Computational Semantics

- Requirements
 - Verifiability
 - Unambiguous representation
 - Canonical Form
 - Inference
 - Variables
 - Expressiveness
- Solution:
 - First-Order Logic
 - Structure
 - Semantics
 - Event Representation

Summary

- FOL can be used as a meaning representation language for natural language
- Principle of compositionality:
 - The meaning of a complex expression is a function of the meaning of its parts
- λ -expressions can be used to compute meaning representations from syntactic trees based on the principle of compositionality
- In next classes, we will look at syntax-driven approach to semantic analysis in more detail